

**This is CS50**

**Think.**

**Pair.**

**Share.**

- How should we **compare** algorithms?
- When are **structs** useful?
- What is **recursion**?

0

1

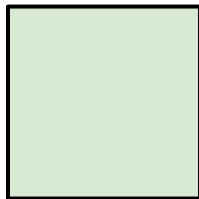
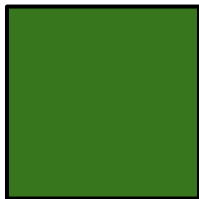
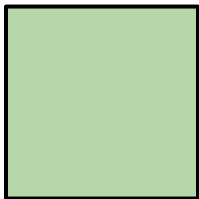
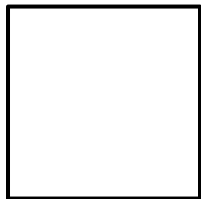
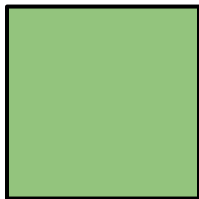
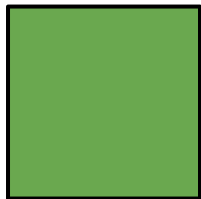
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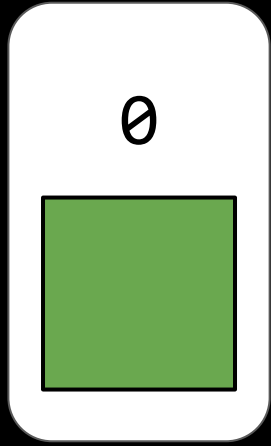
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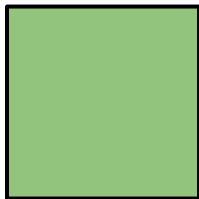




# Linear Search

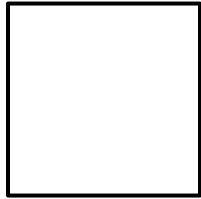


1





2



0

1

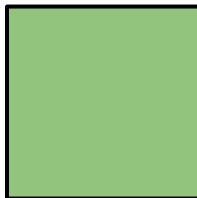
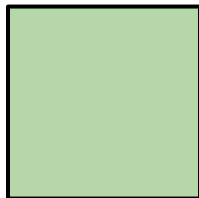
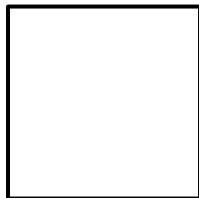
2

3

4

5

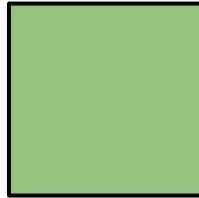
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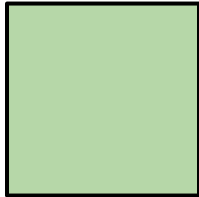


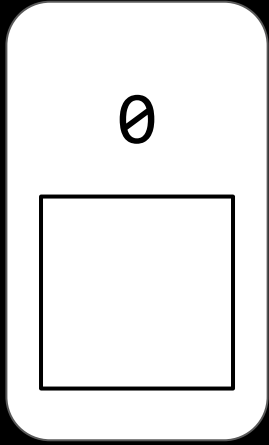
# Binary Search

3



1





Running Time



Linear Search

Binary Search

Number of  
Steps

Linear Search

Binary Search

Number of  
Steps

**3 steps**

Linear Search

Binary Search

Number of  
Steps

**3 steps**

**3 steps**

For any input, what is the **most** number of steps my algorithm will ever take?

How many steps will my  
algorithm take for the  
very **worst case** input?

Linear Search

Binary Search

Upper Bound

Linear Search

Binary Search

Upper Bound

**n steps**

Linear Search

Binary Search

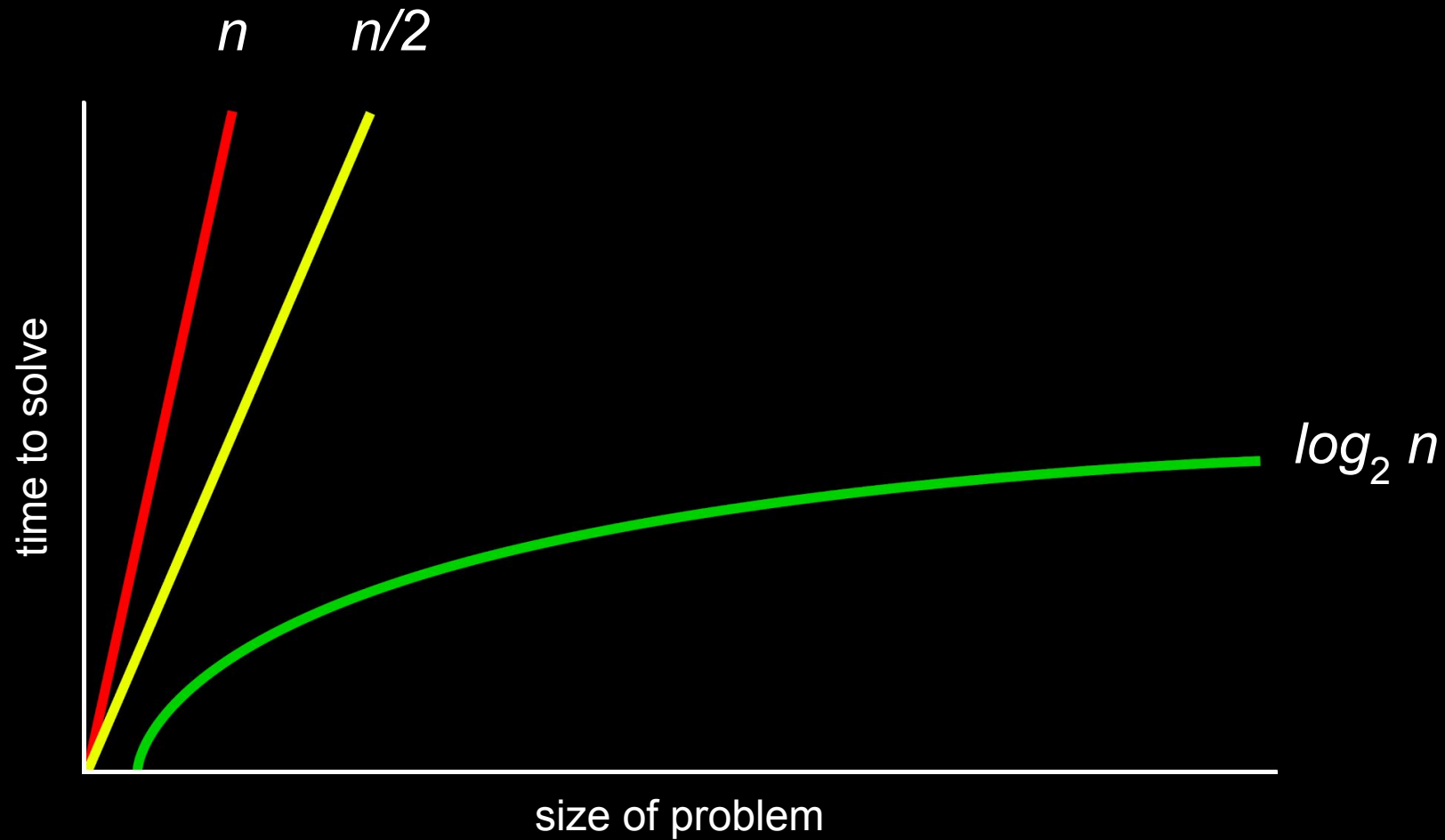
Upper Bound

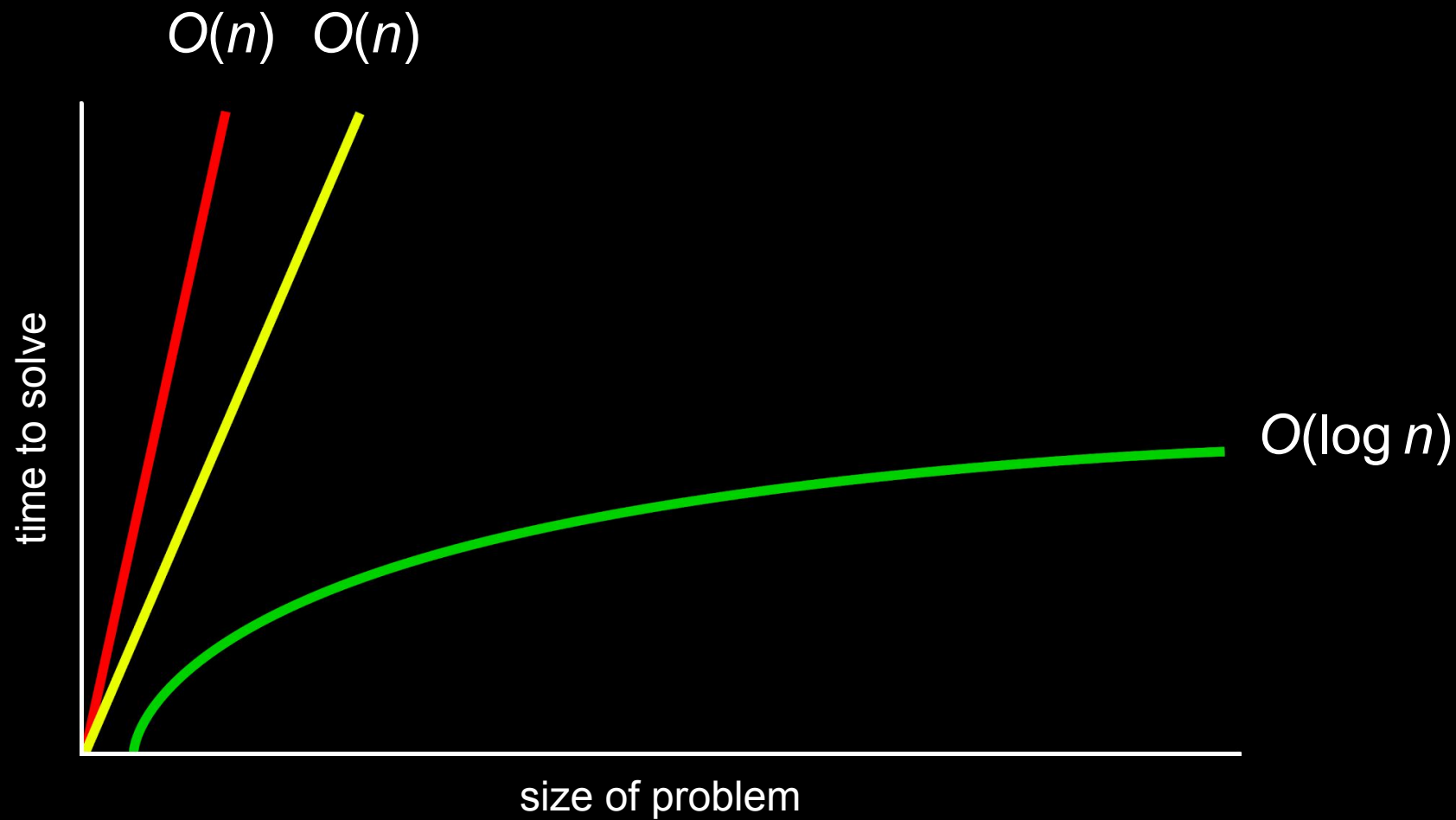
**$n$  steps**

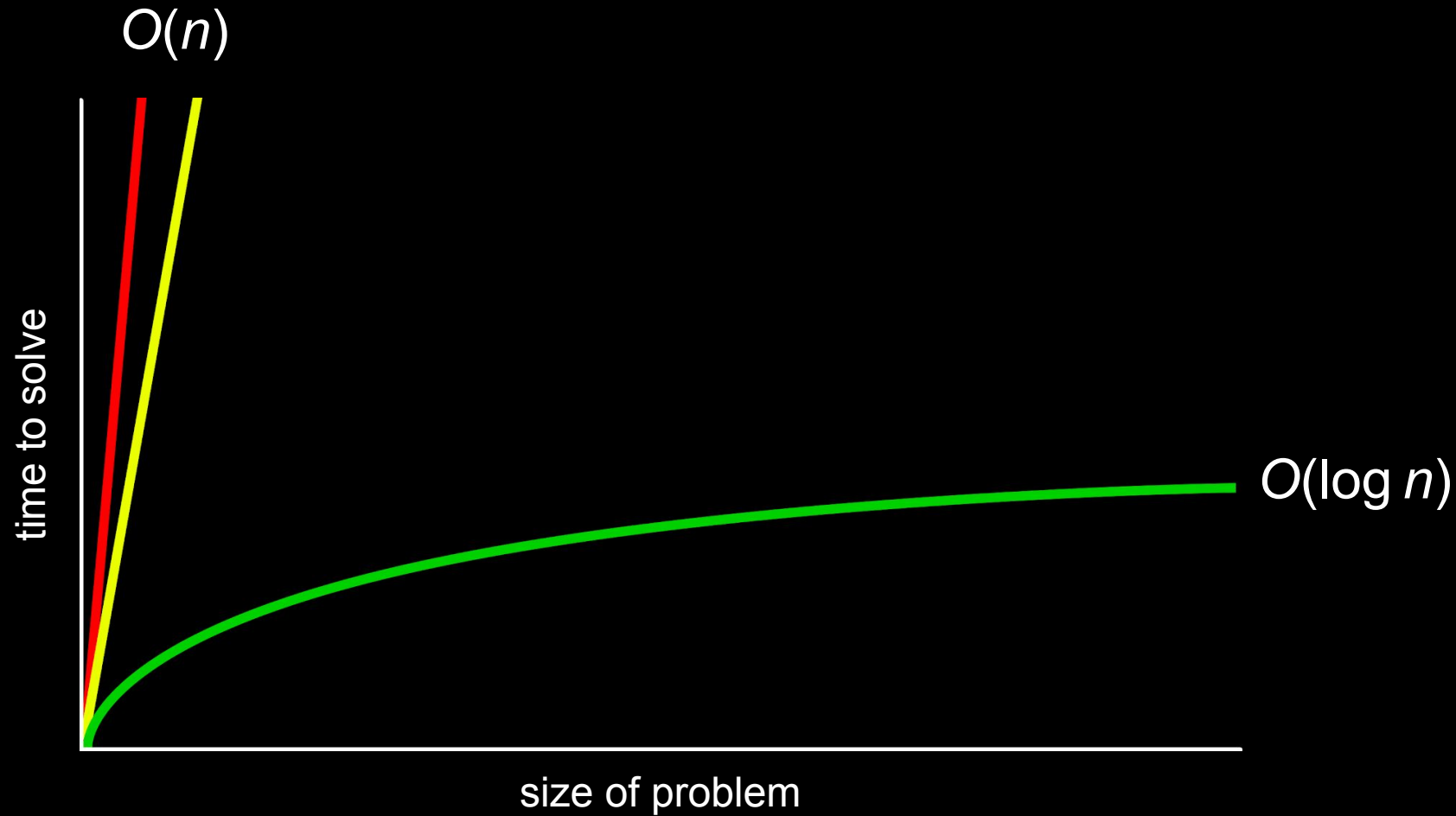
**$\log n$  steps**



"On the order of..."







Linear Search

Binary Search

Upper Bound

$O(n)$

$O(\log n)$

For any input, what is the **most** number of steps my algorithm will ever take?

For any input, what is the **most** number of steps my algorithm will ever take?

For any input, what is the **least** number of steps my algorithm will ever take?



How many steps will my algorithm take for the very **best case** input?

Linear Search

Binary Search

Upper Bound

$O(n)$

$O(\log n)$

Lower Bound

1 step

1 step

Linear Search

Binary Search

Upper Bound

$O(n)$

$O(\log n)$

Lower Bound

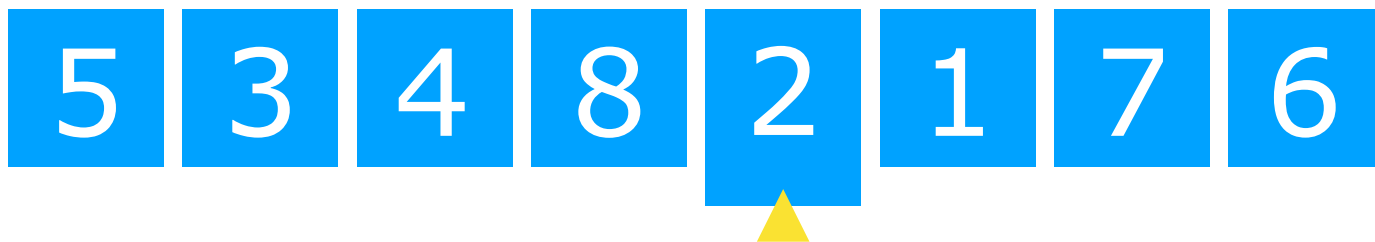
$\Omega(1)$

$\Omega(1)$

5 3 4 8 2 1 7 6





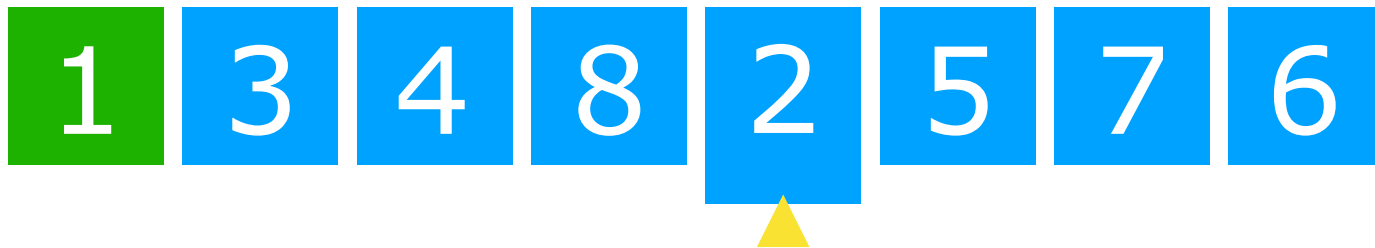






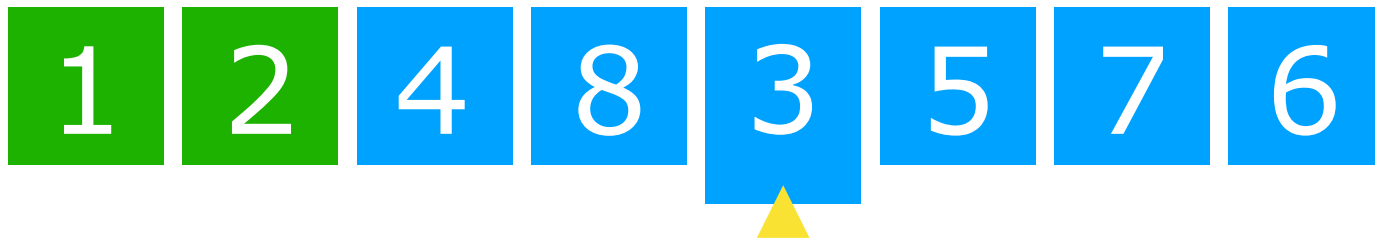
1 3 4 8 2 5 7 6



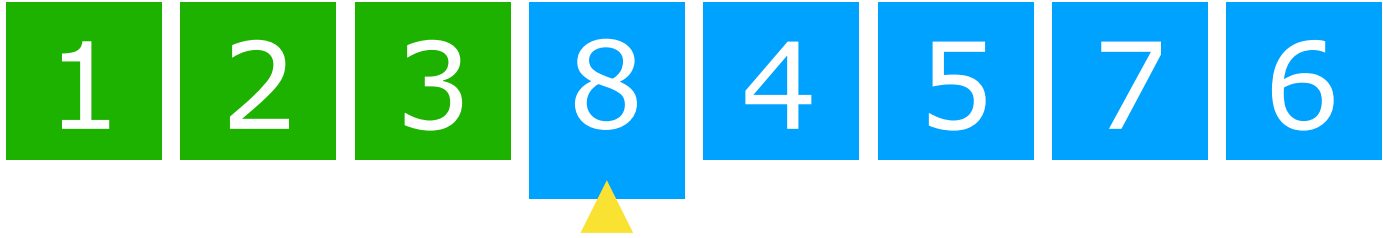


1 2 4 8 3 5 7 6





1 2 3 8 4 5 7 6







1 2 3 4 8 5 7 6





1 2 3 4 5 8 7 6









1 2 3 4 5 6 7 8



1 2 3 4 5 6 7 8

1 2 3 4 5 6 7 8

# Selection Sort

Upper Bound

# Selection Sort

Upper Bound

$$O(n^2)$$

## Selection Sort

Upper Bound

$$O(n^2)$$

Lower Bound

## Selection Sort

Upper Bound

$$O(n^2)$$

Lower Bound

$$\Omega(n^2)$$



Structs



```
typedef struct
{
    string name;
    int votes;
}
candidate;
```

```
typedef struct
{
    string name;
    int votes;
}
candidate;
```

```
typedef struct
{
    string name;
    int votes;
}
candidate;
```

```
typedef struct
{
    string name;
    int votes;
}
candidate;
```

candidate president;

```
candidate president;  
president.name = "Alyssa";  
president.votes = 10;
```



# Structs and Functions Exercise

Create your own **get\_candidate** function that prompts the user to input attributes for a candidate.

You may rely on **get\_string**, **get\_float**, etc.

Your function should return a candidate.

# Arrays of Structs Exercise

Use your **get\_candidate** function to create an array of three candidates, each of which should have attributes input by the user.

name	Alice	Bob	Charlie
votes	2	1	3

`candidates[0];`

name	Alice	Bob	Charlie
votes	2	1	3

```
candidates[0].name;
```

name	Alice	Bob	Charlie
votes	2	1	3

```
candidates[0].votes;
```

# Recursion

# Factorial

$$1! = 1$$

# Factorial

$$1! = 1$$

$$2! = 2 * 1$$



# Factorial

$$1! = 1$$

$$2! = 2 * 1$$

$$3! = 3 * 2 * 1$$

# Factorial

$$1! = 1$$

$$2! = 2 * 1$$

$$3! = 3 * 2 * 1$$

$$4! = 4 * 3 * 2 * 1$$

# Factorial

$$1! = 1$$

$$2! = 2 * 1$$

$$3! = 3 * 2 * 1$$

$$4! = 4 * 3 * 2 * 1$$

# Factorial

$$4! = ?$$

# Factorial

$$4! = 4 * 3!$$

# Factorial

$$4! = 4 * \underline{3!} \leftarrow \text{"Recursive call"}$$

# Factorial

$$4! = 4 * 3!$$

$$3! = 3 * \dots$$

# Factorial

$$4! = 4 * 3!$$

$$3! = 3 * 2!$$



# Factorial

$$4! = 4 * 3!$$

$$3! = 3 * 2!$$

$$2! = 2 * 1!$$

# Factorial

$$4! = 4 * 3!$$

$$3! = 3 * 2!$$

$$2! = 2 * 1!$$

$$1! = 1$$

# Factorial

$$4! = 4 * 3!$$

$$3! = 3 * 2!$$

$$2! = 2 * 1!$$

$$\underline{1! = 1}$$

← "Base case"

# Factorial

$$4! = 4 * 3!$$

$$3! = 3 * 2!$$

$$2! = 2 * 1!$$

$$1! = 1$$



"Call stack"

# Factorial

$$4! = 4 * 3!$$

$$3! = 3 * 2!$$

$$2! = 2 * 1$$

# Factorial

$$4! = 4 * 3!$$

$$3! = 3 * 2 * 1$$

# Factorial

$$4! = 4 * 3 * 2 * 1$$

# Factorial

$$4! = 24$$



# Factorial Exercise

Write your own recursive function called **factorial**.

**factorial** should take an **int** and return the factorial of the number as a parameter.

**This was CS50**