# Introduction to <br> Artificial Intelligence <br> with Python 

## Language

## Natural Language Processing

## Natural Language Processing

- automatic summarization
- information extraction
- machine translation
- question answering
- text classification
- ...


## Syntax

"Just before nine o'clock Sherlock Holmes stepped briskly into the room."
"Just before Sherlock Holmes nine o'clock stepped briskly the room."
"I saw the man on the mountain with a telescope."

## Semantics

"Just before nine o'clock Sherlock Holmes stepped briskly into the room."
"A few minutes before nine, Sherlock Holmes walked quickly into the room."

## "Colorless green ideas sleep furiously."

## Natural Language Processing

## formal grammar

a system of rules for generating sentences in a language

## Context-Free Grammar


$\mathrm{N} \rightarrow$ she | city | car | Harry | ...
$\mathrm{D} \rightarrow$ the $|\mathrm{a}| \mathrm{an} \mid \ldots$
V $\rightarrow$ saw | ate | walked | ...
P $\rightarrow$ to | on \| over \| ...
ADJ $\rightarrow$ blue | busy | old | ...
$N P \rightarrow N \mid D N$


$\mathrm{VP} \rightarrow \mathrm{V} \mid \mathrm{V}$ NP

$$
V P \rightarrow V \mid V N P \quad V
$$


$S \rightarrow N P$ VP

## $S \rightarrow N P$ VP


nltk

## n-gram

a contiguous sequence of $n$ items from a sample of text
"How often have I said to you that when you have eliminated the impossible whatever remains, however improbable, must be the truth?"
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## tokenization

the task of splitting a sequence of characters into pieces (tokens)

## Markov Chains

## $\mathbf{O} \rightarrow \mathbf{O} \rightarrow \mathbf{O} \rightarrow \mathbf{O}_{-}$

## Text Categorization



$$
\odot
$$

"My grandson loved it! So much fun!"
"Product broke after a few days."
"One of the best games I've played in a long time."
"Kind of cheap and flimsy, not worth it."

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## bag-of-words model

model that represents text as an unordered collection of words

## Naive Bayes

## Bayes' Rule

## $P\left(\begin{array}{ll}b & a\end{array}\right)=\underline{P(a b) P(b)}$ $P(a)$

## $P$ (Positive)

## $P$ (Negative)

$$
\begin{aligned}
& P(*) \\
& P(\odot)
\end{aligned}
$$

## "My grandson loved it!"

$P($ ()
$P(:)$ | "my grandson loved it")

## $P(\odot \mid$ "my", "grandson", "loved", "it")

$P(:)$ "my", "grandson", "loved", "it")
$P(;)$ "my", "grandson", "loved", "it")

## equal to

$P\left(\right.$ "my", "grandson", "loved", "it" | :) $P()^{-)}$
P("my", "grandson", "loved", "it")
$P(;)$ "my", "grandson", "loved", "it") proportional to
$P($ "my", "grandson", "loved", "it" | :) $P($ )

## $P(;)$ "my", "grandson", "loved", "it")

proportional to
$P(\Theta$, "my", "grandson", "loved", "it")
$P($ | "my", "grandson", "loved", "it")
naively proportional to
$\left.P()^{-}\right) P($ "my" $\mid$ ) $) P($ "grandson" $\mid$ ) $)$ $P($ "loved" $\mid$ ) $) P($ "it" $\mid$ ) $)$

## $P()=$

## number of positive samples

## number of total samples

number of positive samples with "loved"
$P\left(\right.$ "loved" | $\left.{ }^{\text {O }}\right)=$
number of positive samples
$P(\Theta) P($ "my" | $)=P($ "grandson" $\mid$ ) $)$ $P(" l o v e d " \mid \Theta) P(" i t " \mid ~ ;)$


|  | $\ddots$ | $\because$ |
| :---: | :---: | :---: |
| my | 0.30 | 0.20 |
| grandson | 0.01 | 0.02 |
| loved | 0.32 | 0.08 |
| it | 0.30 | 0.40 |

$P(\Theta) P($ "my" | $)$ ) $P($ "grandson" | $)$ $P(" l o v e d " \mid \Theta) P(" i t " \mid ~ ;)$


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© 0.00014112

|  | $\ddots$ | $\ddots$ |
| :---: | :---: | :---: |
| my | 0.30 | 0.20 |
| grandson | 0.01 | 0.02 |
| loved | 0.32 | 0.08 |
| it | 0.30 | 0.40 |

 $P($ "loved" $\mid$ ) $P($ "it" $\mid$ ) $)$

| 00 | 0.57 |
| :---: | :---: |
| 0.49 | 0 |

;) 0.00014112

|  | $\ddots$ | $\ddots$ |
| :---: | :---: | :---: |
| my | 0.30 | 0.20 |
| grandson | 0.01 | 0.02 |
| loved | 0.32 | 0.08 |
| it | 0.30 | 0.40 |

$\left.P()^{\circ}\right) P($ "my" $\mid$ © ) $P($ "grandson" $\mid$ © ) $P($ "loved" $\mid$ ) ) $P($ "it" $\mid$ ) $)$

;) 0.00014112

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## $P(\ominus) P(" \mathrm{my}$ " $\mid \odot) P($ "grandson" $\mid \odot)$ $P($ "loved" $\mid$ © $) P(" i t " \mid \odot)$

| ;) | © |
| :---: | :---: |
| 0.49 | 0.51 |

:) 0.00014112 -0.00006528

|  | $\ddots$ | $\ddots$ |
| :---: | :---: | :---: |
| my | 0.30 | 0.20 |
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$P(\because) P($ "my" | © ) $P($ "grandson" $\mid \odot)$ $P($ "loved" $\mid$ © ) $P(" i t " \mid \odot)$

| ; | © |
| :---: | :---: |
| 0.49 | 0.51 |

: 0.00014112 -0.00006528

|  | $\ddots$ | $\theta$ |
| :---: | :---: | :---: |
| my | 0.30 | 0.20 |
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$\left.P()^{\circ}\right) P($ "my" $\mid$ © ) $P($ "grandson" $\mid$ © ) $P($ "loved" $\mid$ ) ) $P($ "it" $\mid$ © $)$

| $\because$ | $\because$ |
| :---: | :---: |
| 0.49 | 0.51 |

0.6837
0.3163

|  | $\ddots$ | $\because$ |
| :---: | :---: | :---: |
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$P($ ) $) P($ "my" $\mid$ © ) $P($ "grandson" $\mid$ © ) $P($ "loved" $\mid$ ) ) $P($ "it" $\mid$ ) $)$


|  | $\ddots$ | $\ddots$ |
| :---: | :---: | :---: |
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$P(\because) P($ "my" | © ) $P($ "grandson" $\mid \odot)$ $P($ "loved" $\mid$ © $) P(" i t " \mid \odot)$

| ; | © |
| :---: | :---: |
| 0.49 | 0.51 |

;) 0.00000000
-0.00006528

|  | $\theta$ | $\ddots$ |
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## additive smoothing

adding a value $\alpha$ to each value in our distribution to smooth the data

## Laplace smoothing

adding 1 to each value in our distribution: pretending we've seen each value one more time than we actually have

## Word Representation



## "He wrote a book."

he

$$
[1,0,0,0]
$$

$$
\text { wrote }[0,1,0,0]
$$

$$
\mathrm{a} \quad[0,0,1,0]
$$

$$
\operatorname{book}[0,0,0,1]
$$

## one-hot representation

representation of meaning as a vector with a single 1, and with other values as 0

## "He wrote a book."

he

$$
[1,0,0,0]
$$

$$
\text { wrote }[0,1,0,0]
$$

$$
\mathrm{a} \quad[0,0,1,0]
$$

$$
\operatorname{book}[0,0,0,1]
$$

## "He wrote a book."

he

$$
[1,0,0,0,0,0,0, \ldots]
$$

wrote $[0,1,0,0,0,0,0, \ldots]$
a
book
[0,
0,1,
0,0 ,
0,
0 ,
-••]
[0, 0, 0, 1,
0 ,
0, 0,
...]

$$
\begin{aligned}
& \text { "He wrote a book." } \\
& \text { "He authored a novel." }
\end{aligned}
$$

wrote $\quad[0,1,0,0,0,0,0, \ldots]$ authored $[0,0,0,0,1,0,0, \ldots]$
book
$[0,0,0,1,0,0,0, \ldots]$ novel $\quad[0,0,0,0,0,0,1, \ldots]$

## distributed representation

 representation of meaning distributed across multiple values
## "He wrote a book."

he

$$
[-0.34,-0.08,0.02,-0.18,0.22, \ldots]
$$

wrote $[-0.27,0.40,0.00,-0.65,-0.15, \ldots]$
a $\quad[-0.12,-0.25,0.29,-0.09,0.40, \ldots]$
book $[-0.23,-0.16,-0.05,-0.57,0.05, \ldots]$

# "You shall know a word by the company it keeps." 

J. R. Firth, 1957



## for breakfast <br> he ate

| for | lunch | he | ate |
| :---: | :---: | :---: | :---: |


| for | dinner | he | ate |
| :---: | :---: | :---: | :---: |



## word2vec

model for generating word vectors





## Neural Networks



## input




## English <br>  <br> French



The only light in the room came from the lamp


La pièce n'était éclairée que par la lampe placée sur la table où je lisais.















Attention



|  |  |  | the | capital | is | Boston |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |
| , | + | + |  | + | $+$ |  |
| $\times$ | $\times$ | $\times$ | $\times$ | $\times$ | $\times$ |  |
| 0.04 | 0.02 | 0.01 | 0.28 | 0.03 | 0.62 |  |
| what | is | the | capital | of | Massachusetts |  |




Adapted from Bahdanau et al. 2015. Neural machine translation by jointly learning to align and translate


## Transformers

## 


input sequence






$+\quad \longrightarrow \underset{\text { Self-Attention }}{\longrightarrow} \longrightarrow$ Neural Network $\longrightarrow$






## Language

Artificial Intelligence

## Search



## $$
P \rightarrow Q
$$ <br> Knowledge <br> 

## Uncertainty



## Optimization



## Learning



## Neural Networks



## Language



# Introduction to <br> Artificial Intelligence <br> with Python 

